

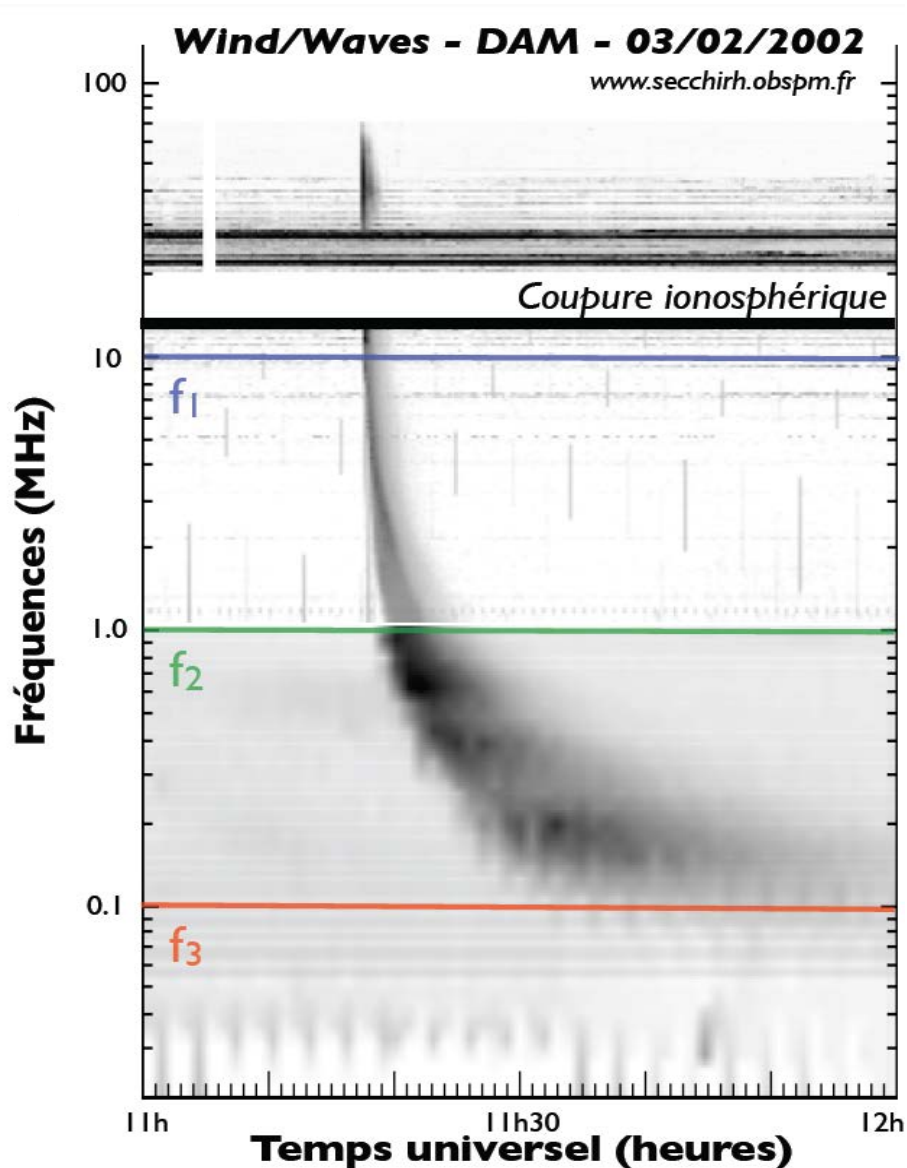


Decay Times for Interplanetary Type III : observations, simulations and questions

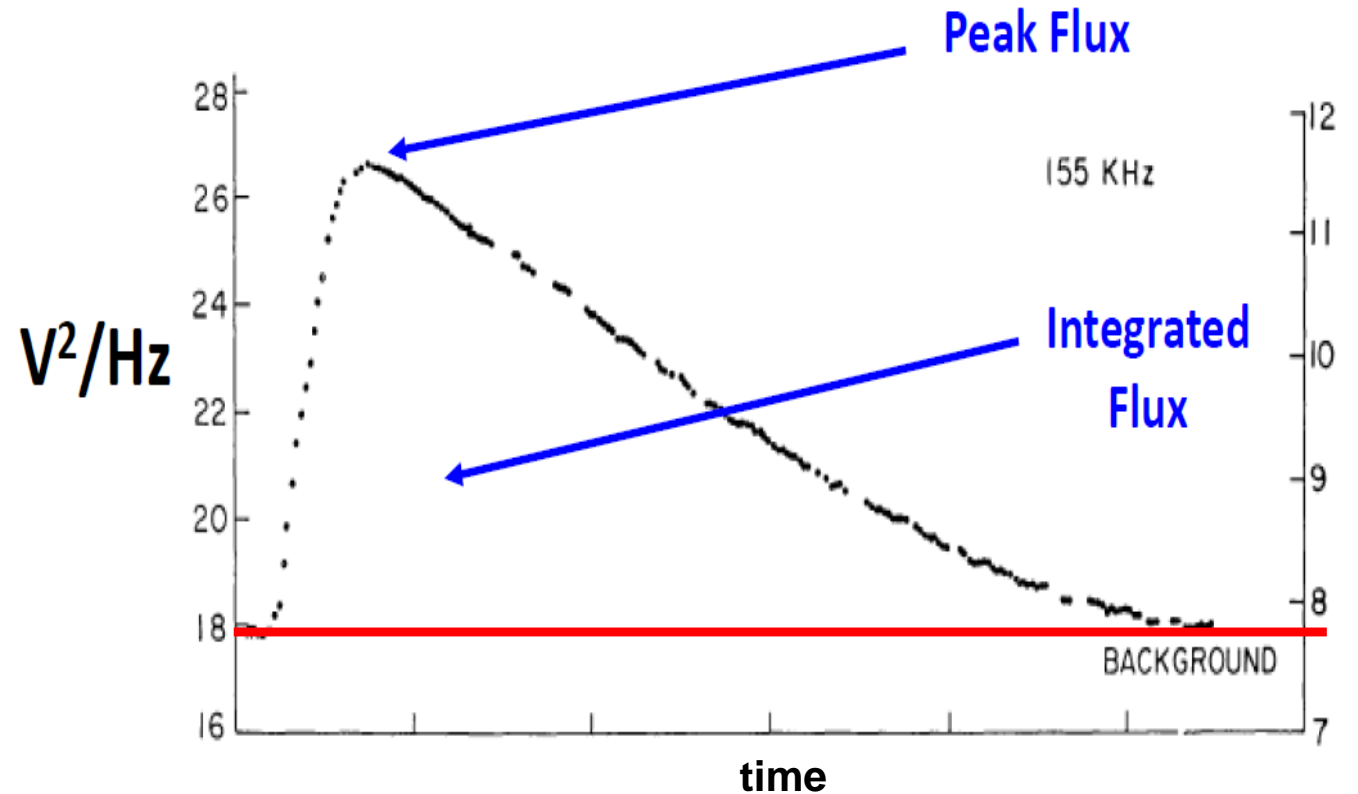
Work done by V. Krupar, R. Fumachi, X. Bonnin, H. Reid, N. VilmerL. Pascal, A. Lecacheux, A. Zaslavsky
presented by M. Maksimovic & R. Fumachi

Meudon-Glasgow Alliance Meeting-May 2017

Type III Solar Bursts

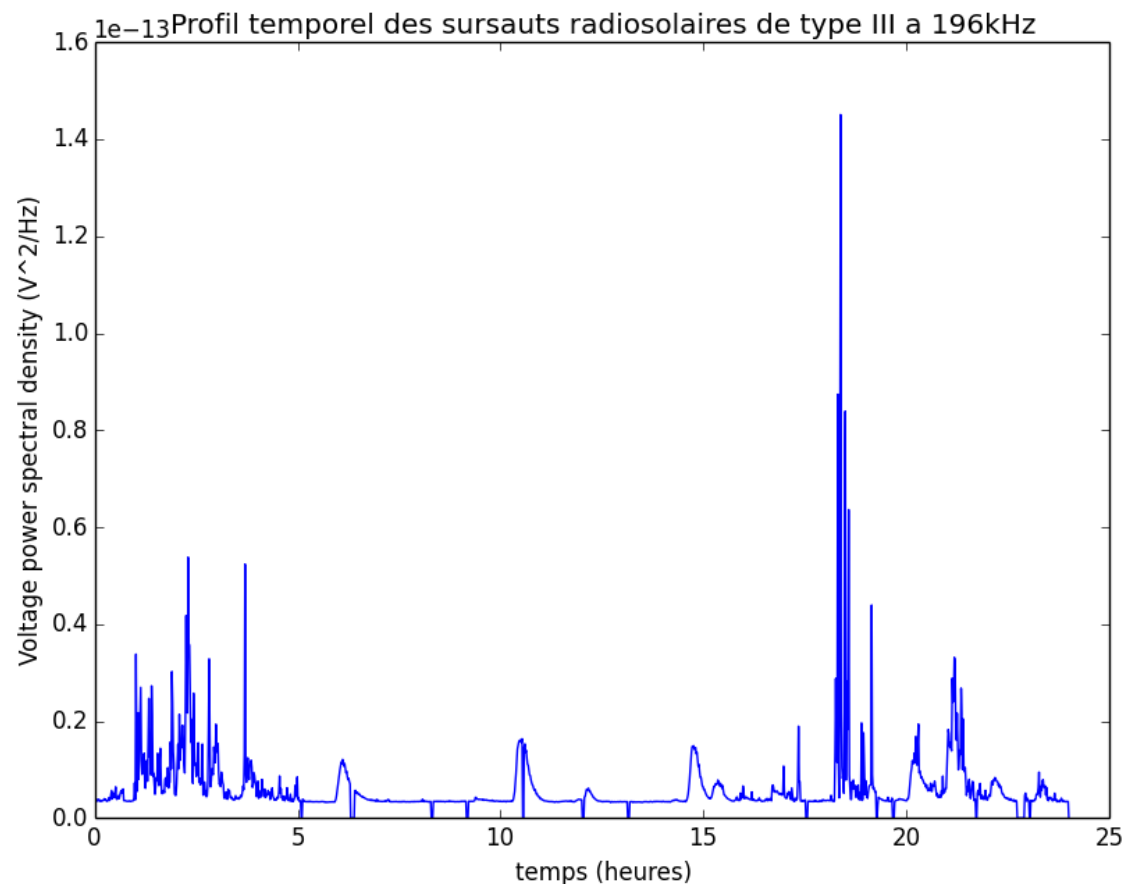
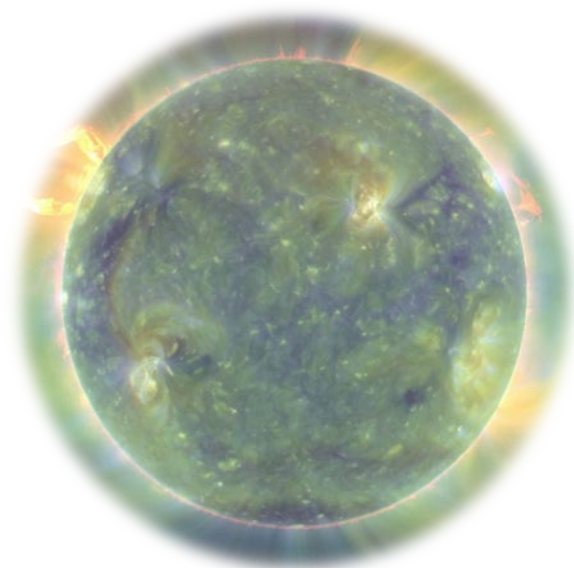


- Short (sec \rightarrow hrs) & very intense ($\rightarrow 10^{-14} \text{ W.m}^{-2}.\text{Hz}^{-1}$) radio emissions
- Emission frequency decreases rapidly (GHz \rightarrow kHz).
- Type profile exhibit both increase and decrease exponential times
- With $P(t) = P_0 e^{-t/\tau_D}$ for the decay part Evans (1973) found $\tau_D(f) \propto f^{-1.09 \pm 0.05}$



Decay time of type III solar radio bursts by WIND at low frequencies

by Ricardo Fumachi, Master 1 Internship at LESIA



Data

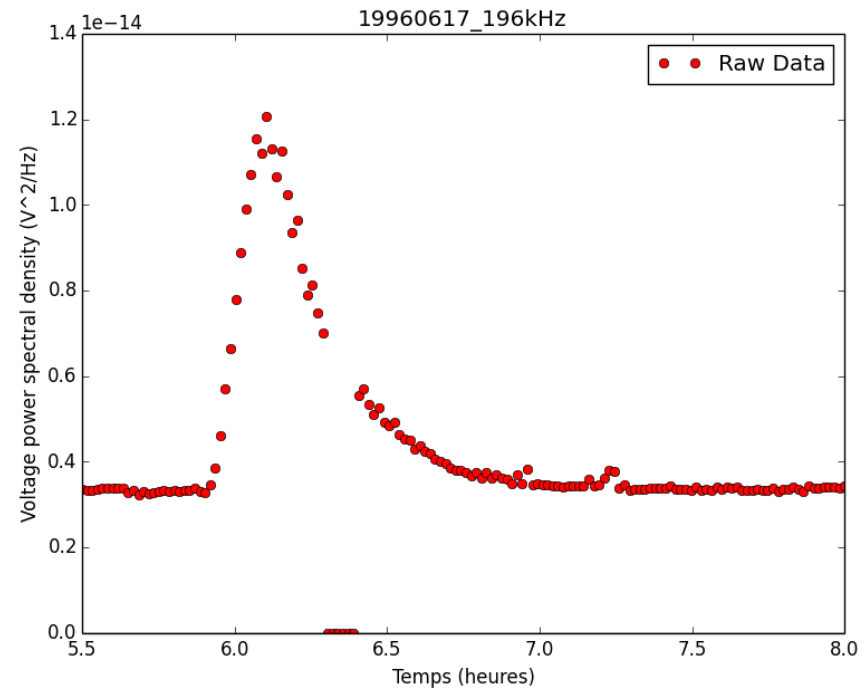
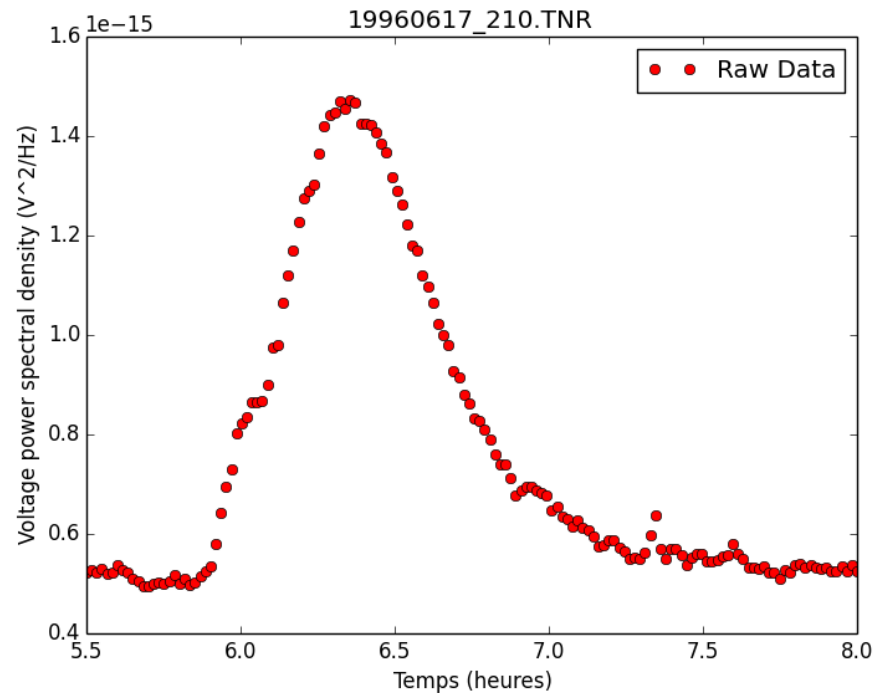
- **Data gathered from TNR and RAD1 :**

- Thermal Noise Receiver (TNR)

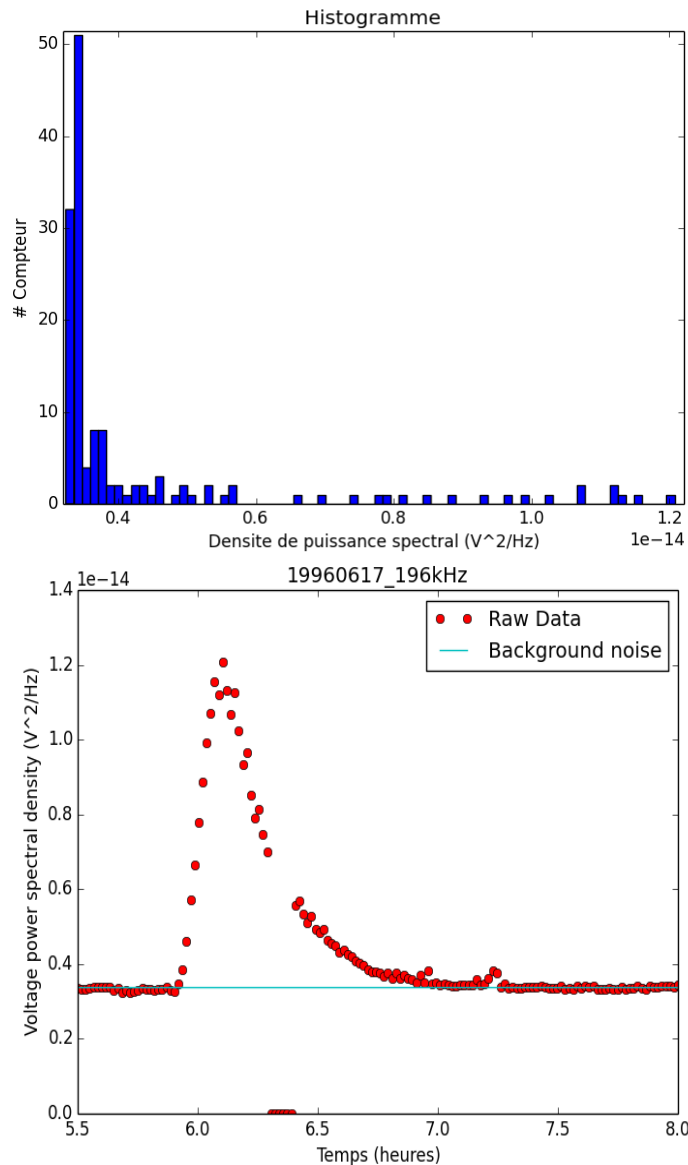
- Frequency Range: 4 kHz - 256 kHz
 - Number of channels: 32
 - Bandwidth: 400 Hz – 6.4 kHz

- Radio Receiver Band 1 (Rad1)

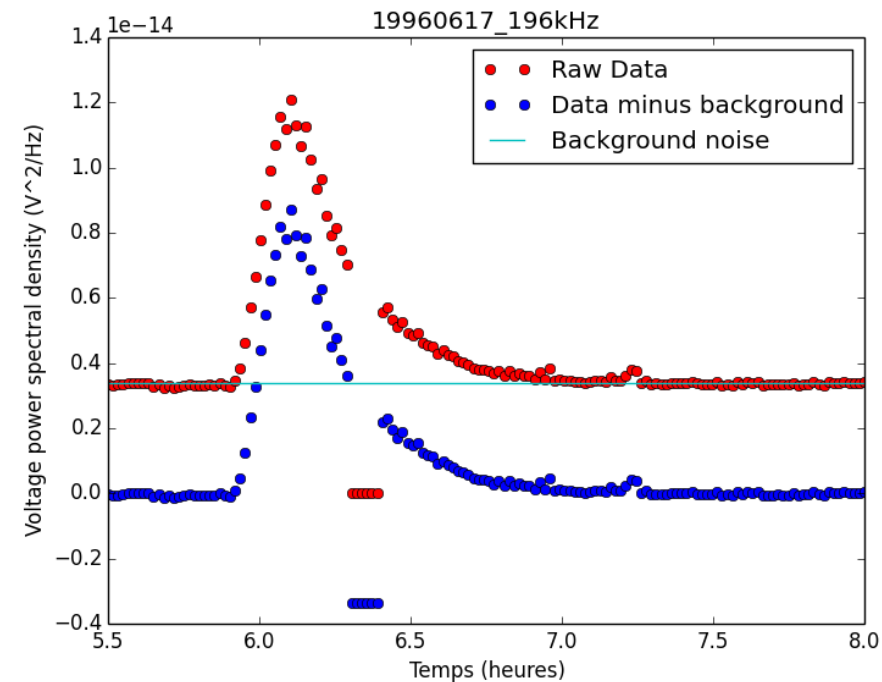
- **Frequency Range: 20 kHz - 1040 kHz**
 - **Number of channels: 256**
 - **Bandwidth: 3 kHz**



Analysis

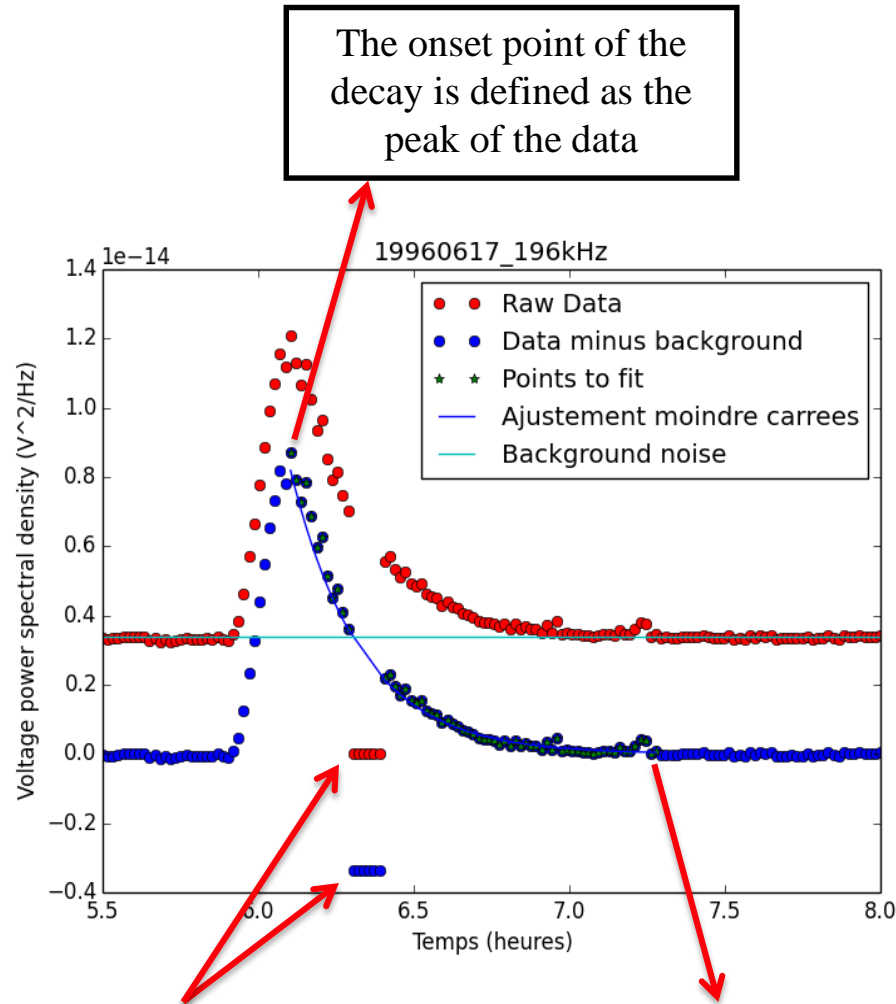


- **Background noise defined via empirical analysis based on the distribution of numerical data.**



- **The data is then offset by the background noise**
 - **Any value equal to the background noise is now set to 0**

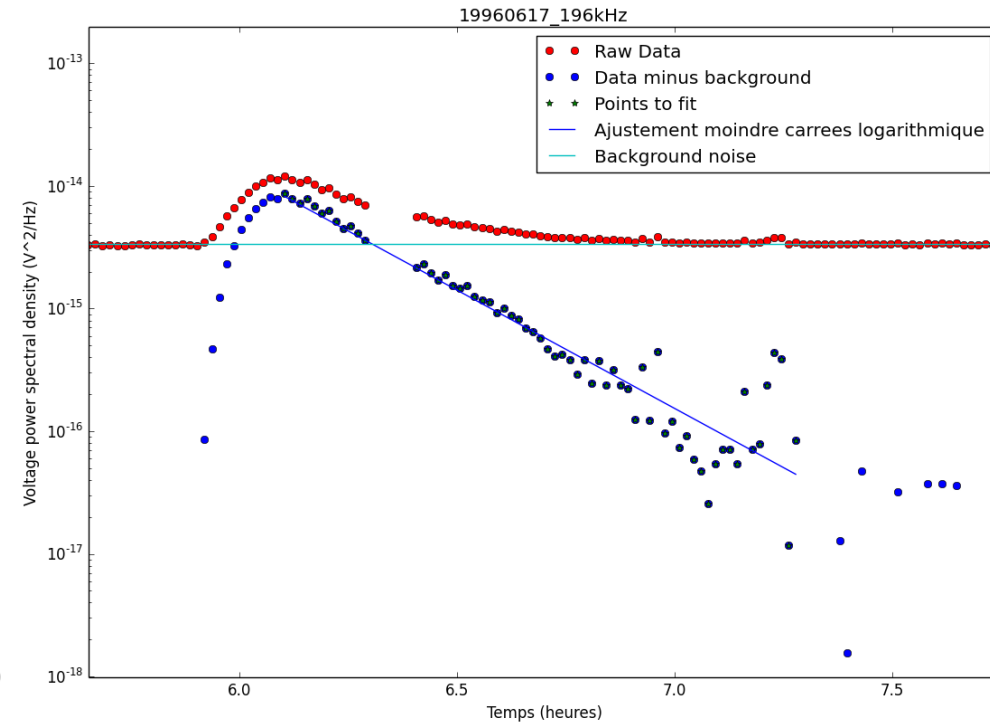
Linear and logartithmic curve-fitting



Zero value artifacts of the receiver

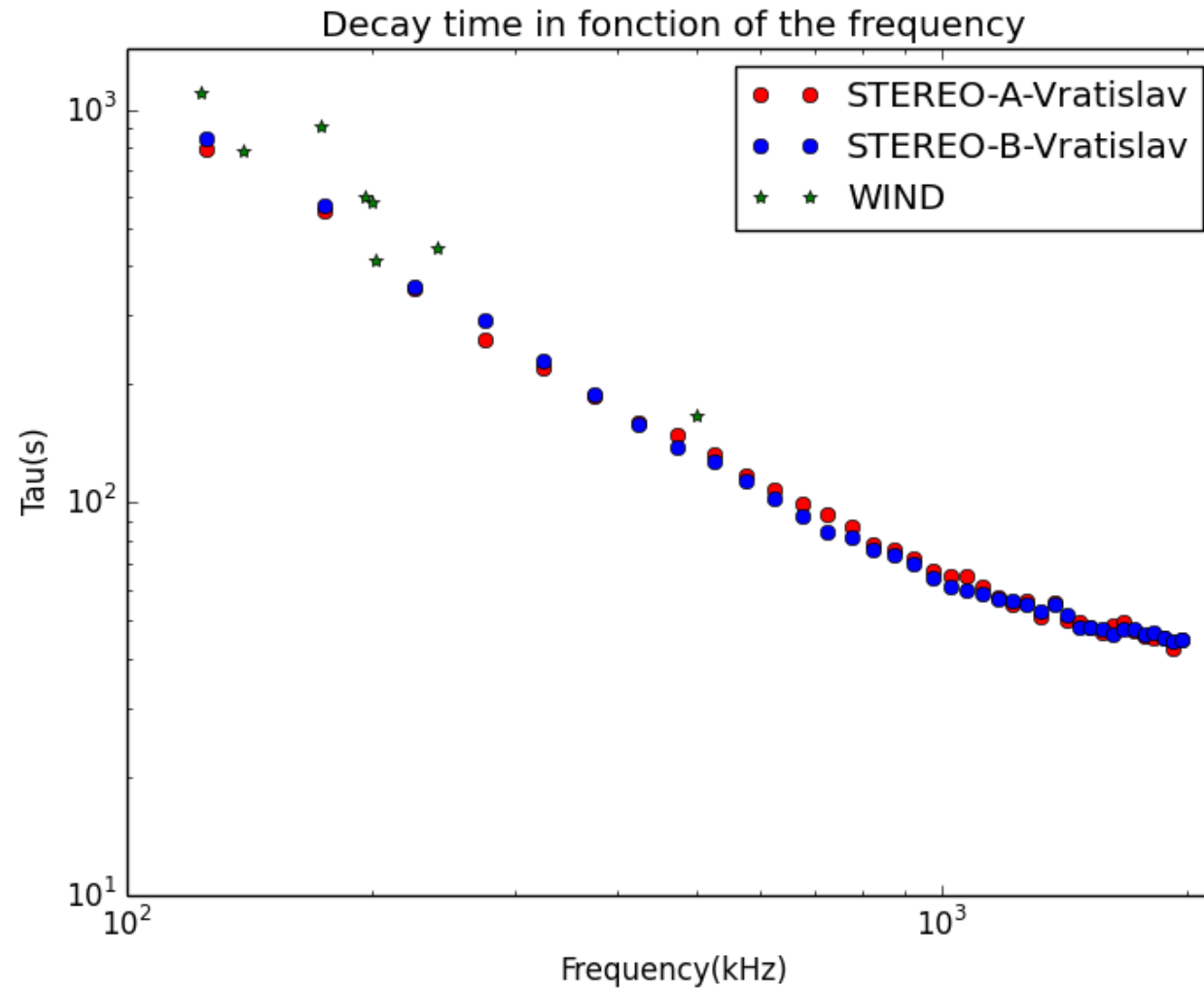
The cutoff point of the outburst is defined as the first negative value after the onset

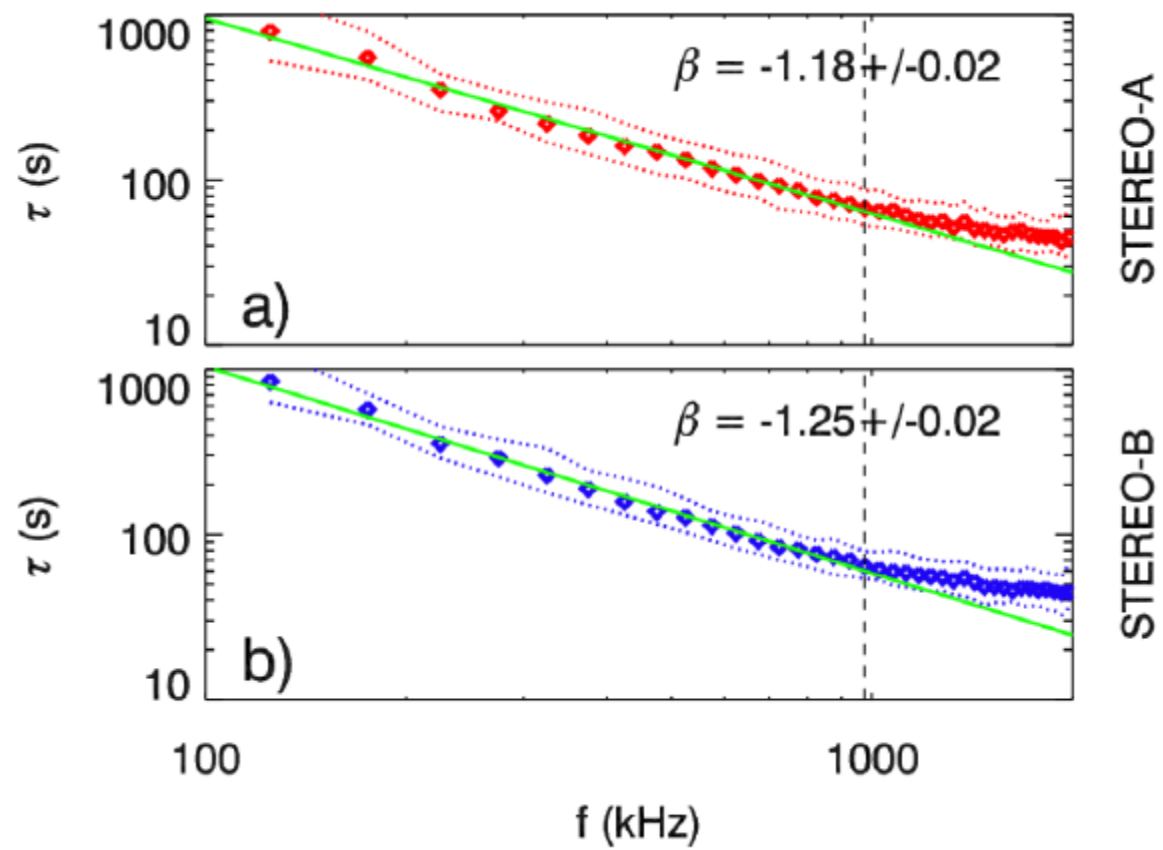
- The curve-fit is obtained by the method of least mean square (LMS)

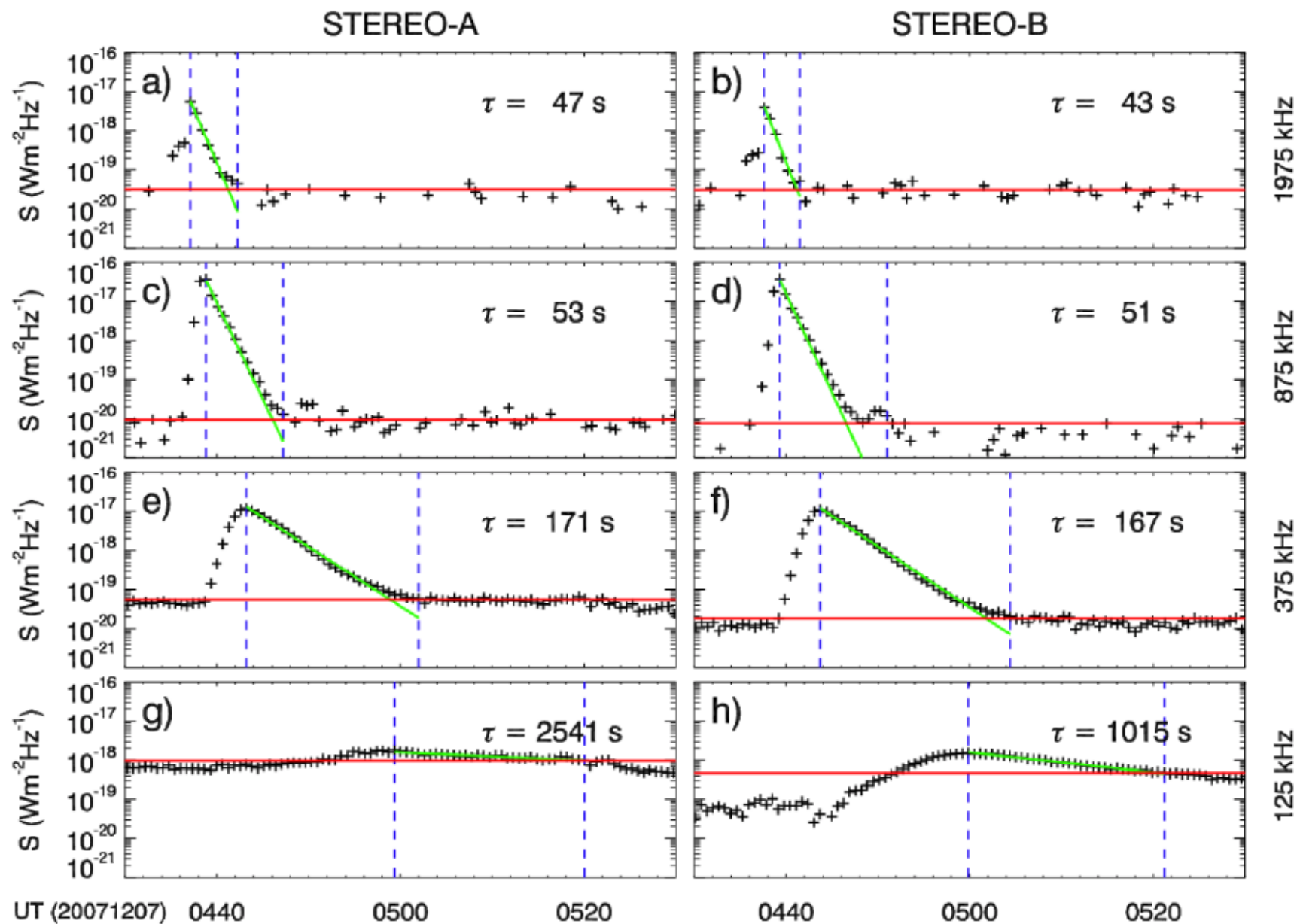


- The decay time of the type III outburst is obtained using this linear regression

Decay time in function of the frequency of the outburst

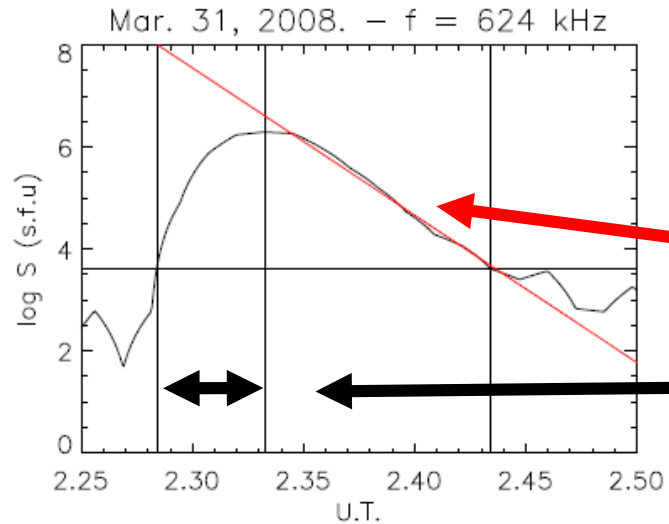






- Stereo time resolution : one spectrum every ~40 seconds
- On WIND there are radio data with a resolution up to every 12 seconds

Decay and rise time of an average type III burst (Zaslavsky & Bonnin)



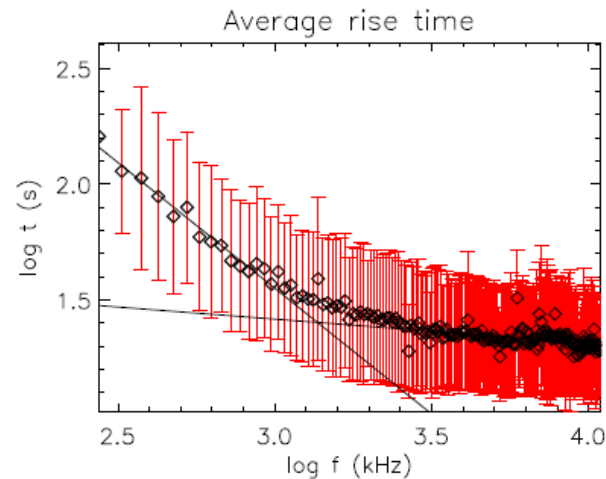
Following the method of Evans et al. (*Sol. Phys.*, 1973)

Linear fit : $-1/T_{\text{decay}}$

$T_{\text{rise}} = T_{\text{max}} - T_{\text{onset}}$

~2000 type III
events on WIND

POWER LAW FITS :

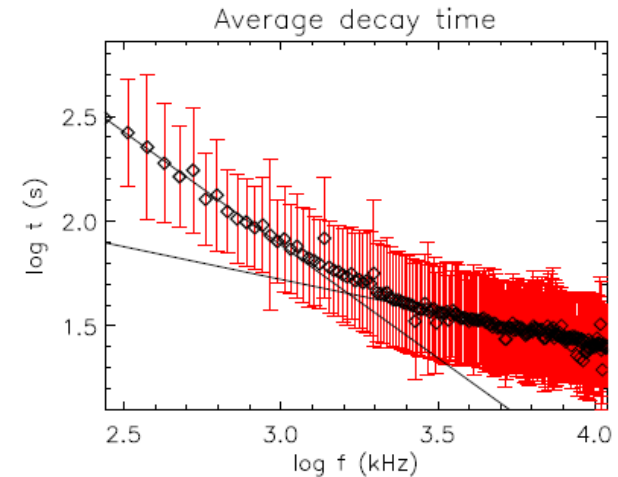


LF band (same result as Evans)

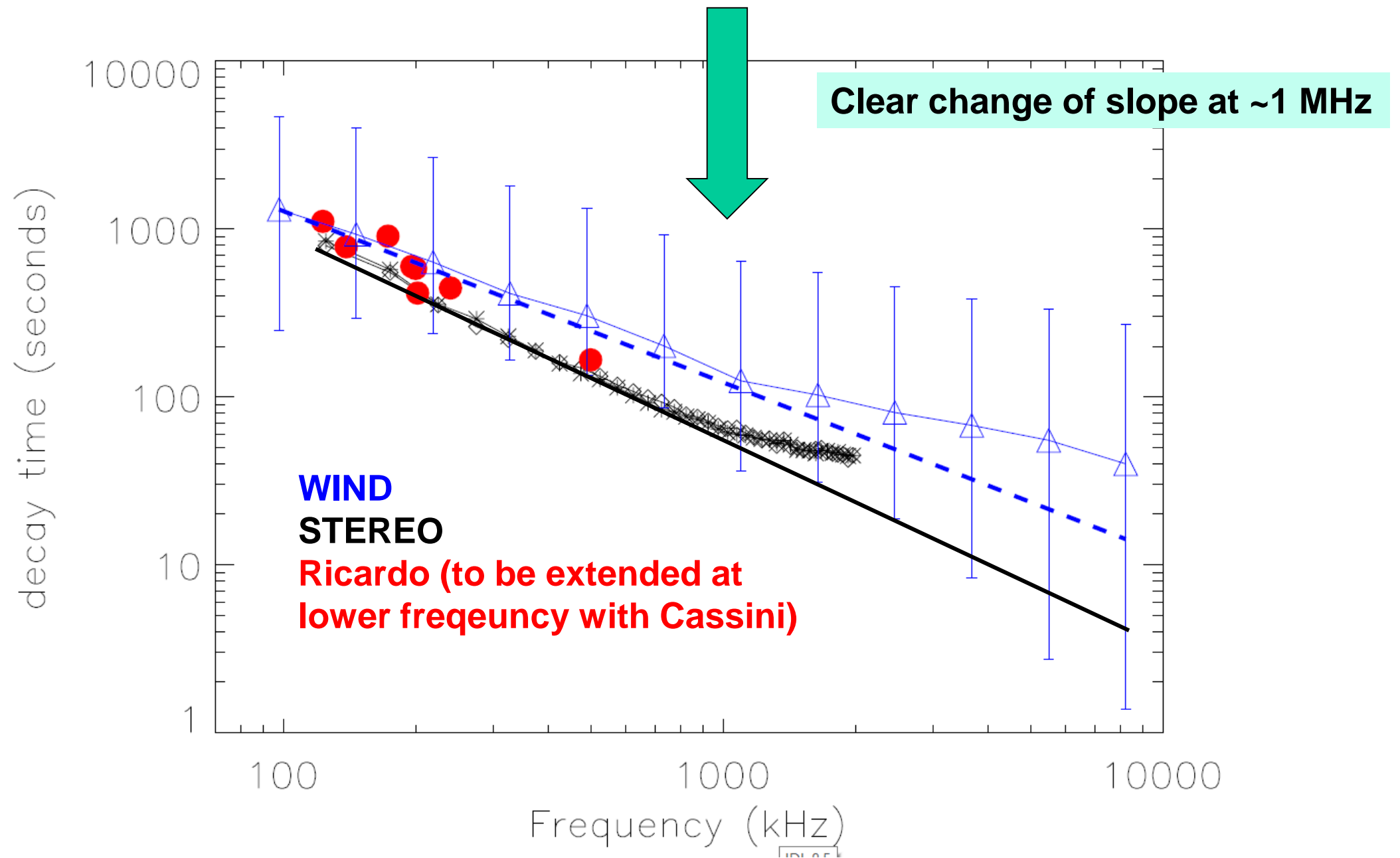
$$T_r \propto f^{-1.08} \quad T_d \propto f^{-1.08}$$

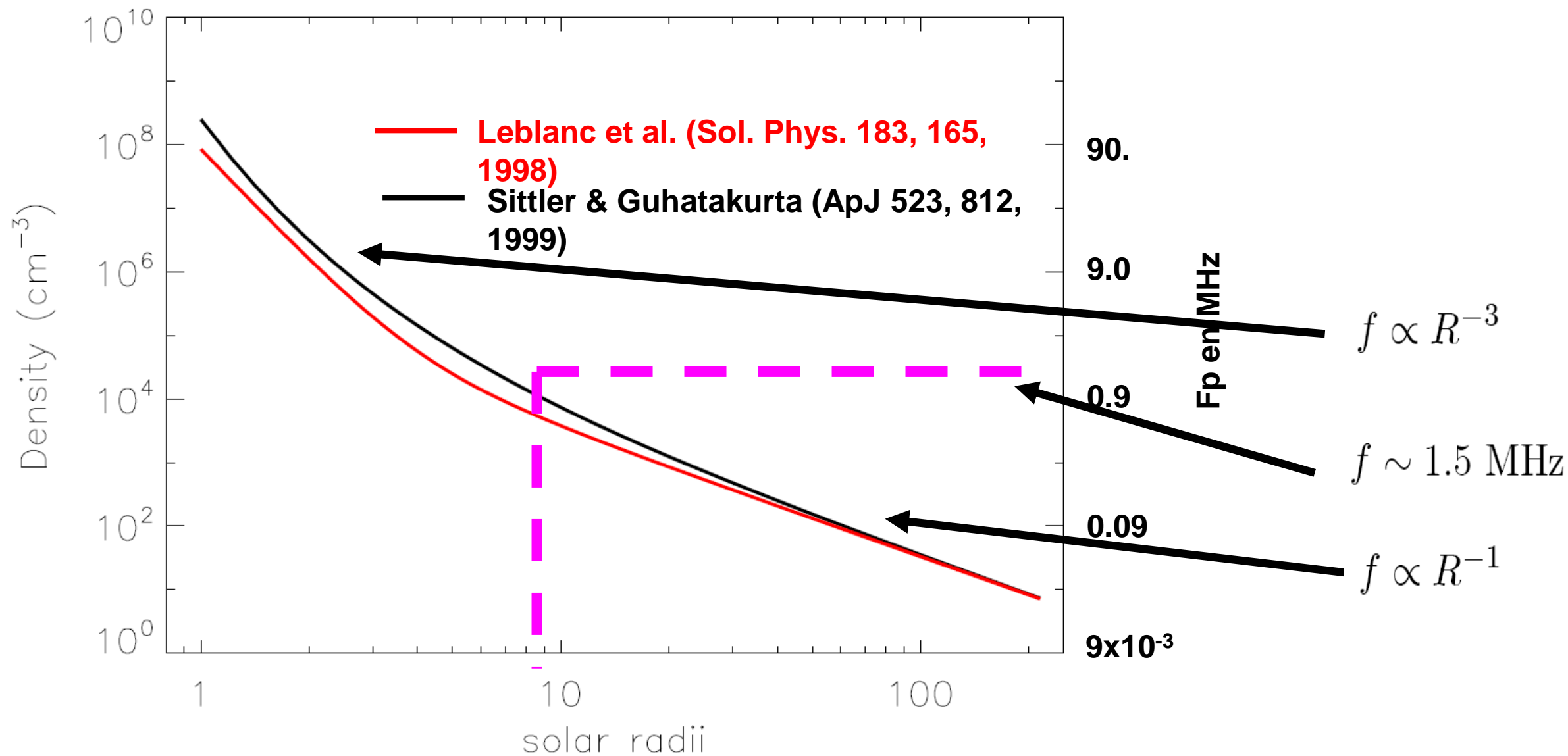
HF band (not covered by Evans)

$$T_r \propto f^{-0.10} \quad T_d \propto f^{-0.31}$$



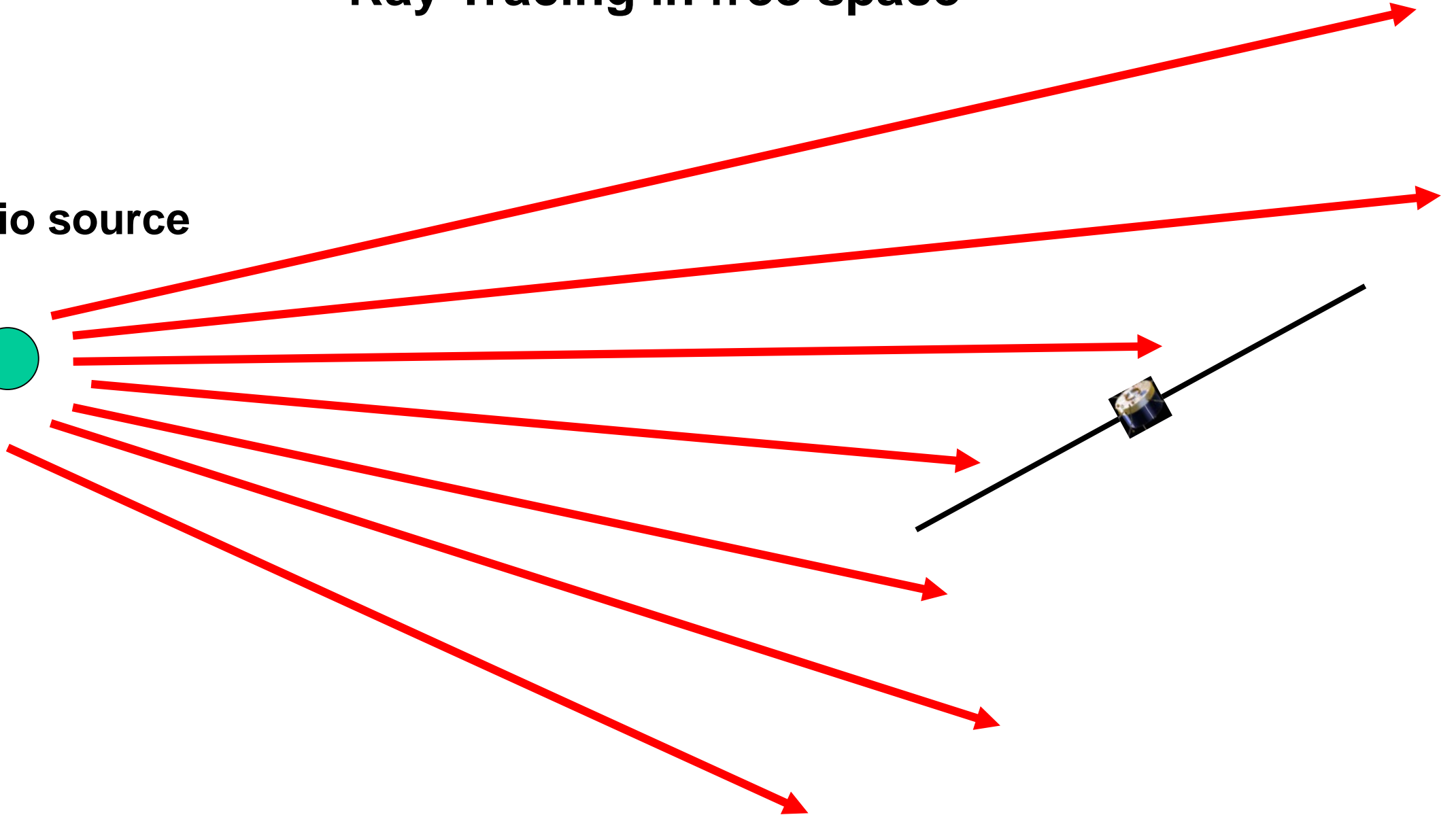
Changes in the power law dependance around $f = 1.5$ MHz



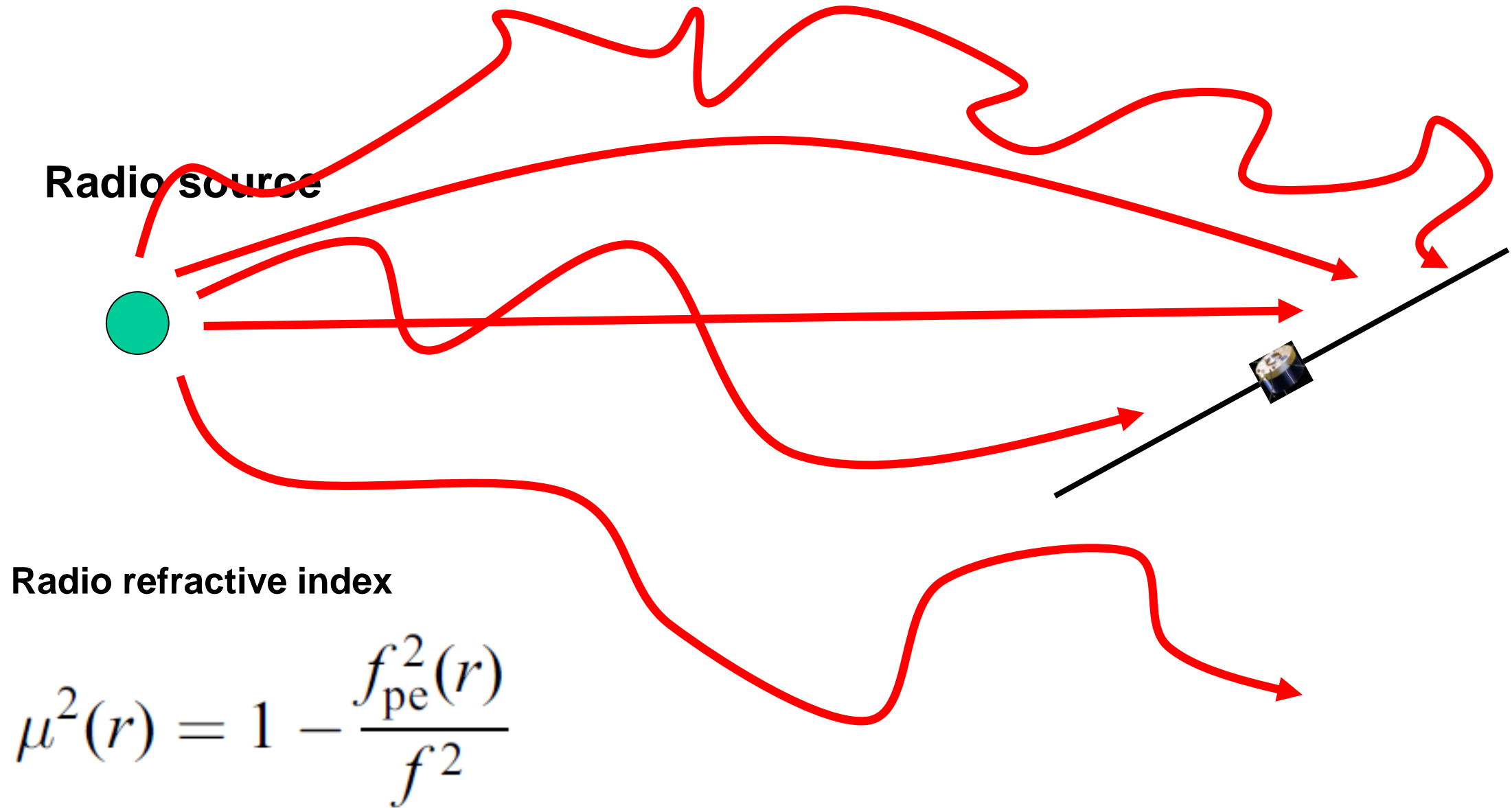


Ray Tracing in free space

Radio source



Ray Tracing with density fluctuations



MONTE CARLO SIMULATION OF DIRECTIVITY OF INTERPLANETARY RADIO BURSTS

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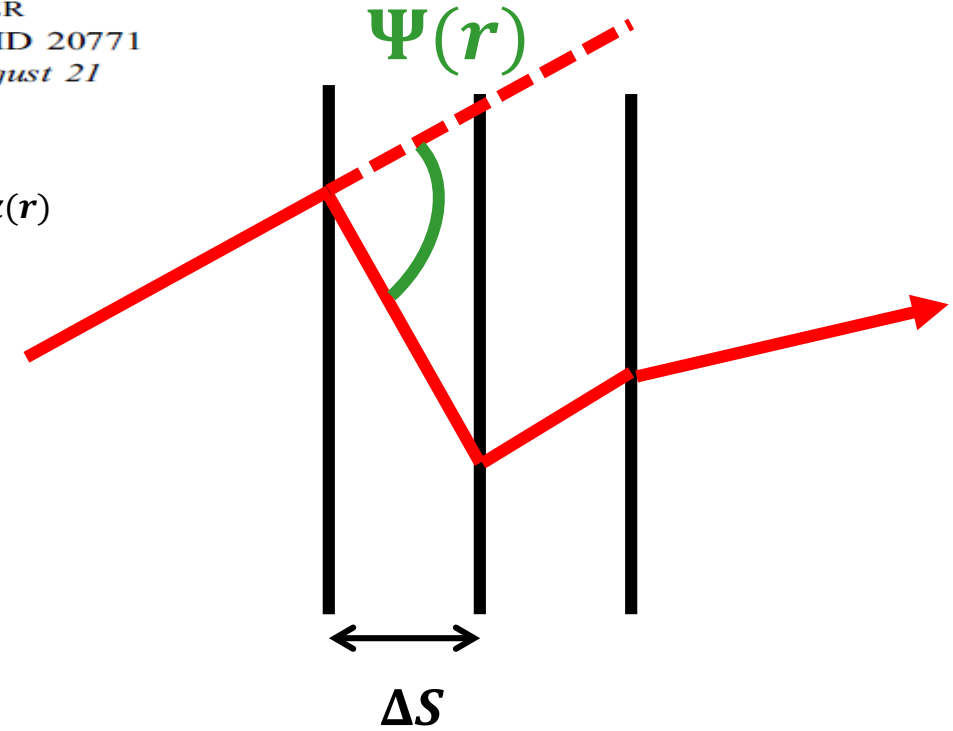
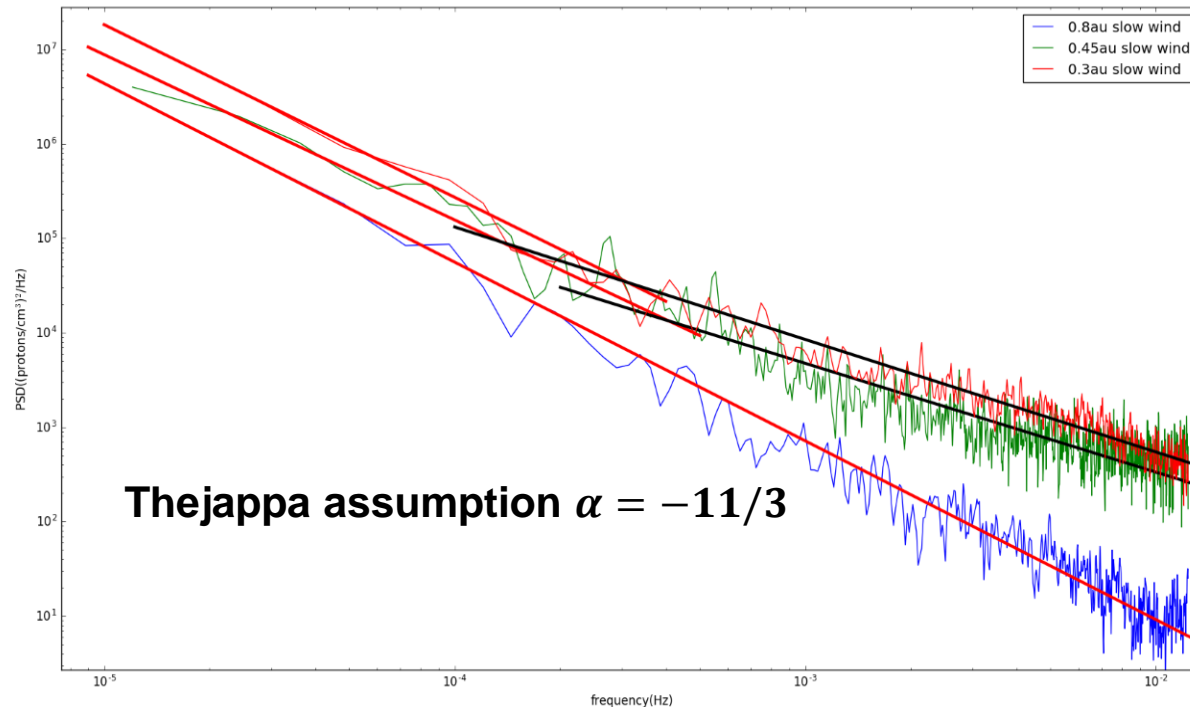
AND

R. J. MACDOWALL AND M. L. KAISER

NASA, Goddard Space Flight Center, Greenbelt, MD 20771

Received 2005 December 16; accepted 2007 August 21

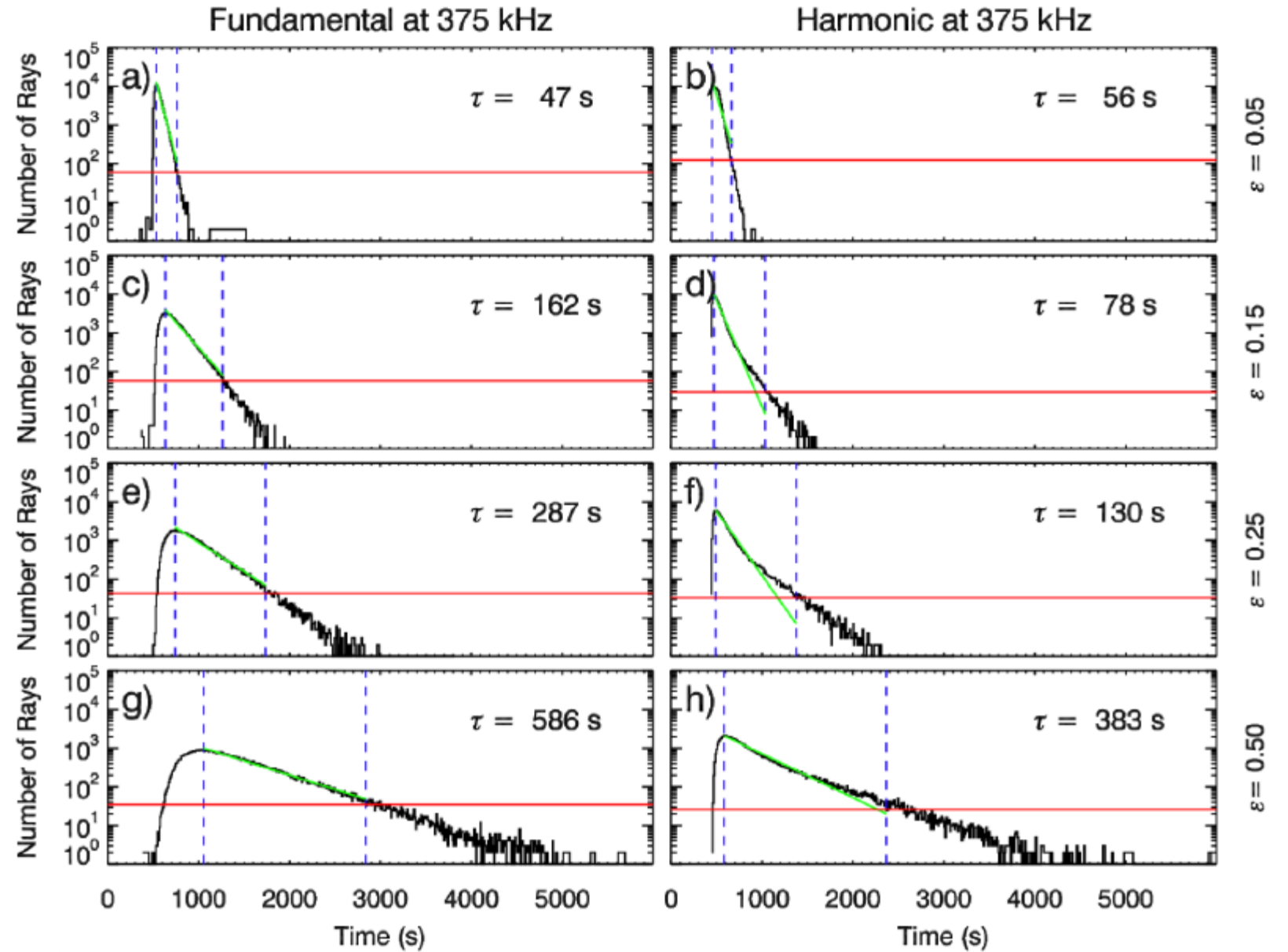
$$\langle \Psi^2 \rangle = \frac{r_e^2 \lambda^4}{\pi \mu^4} \int_{k_0}^{k_i} P_n(k) k^2 d^2 k \times \Delta S \quad P_n(k, r) = \varepsilon \left\langle \left(\frac{\delta n}{n} \right)^2 \right\rangle_0(r) \times k^{\alpha(r)}$$



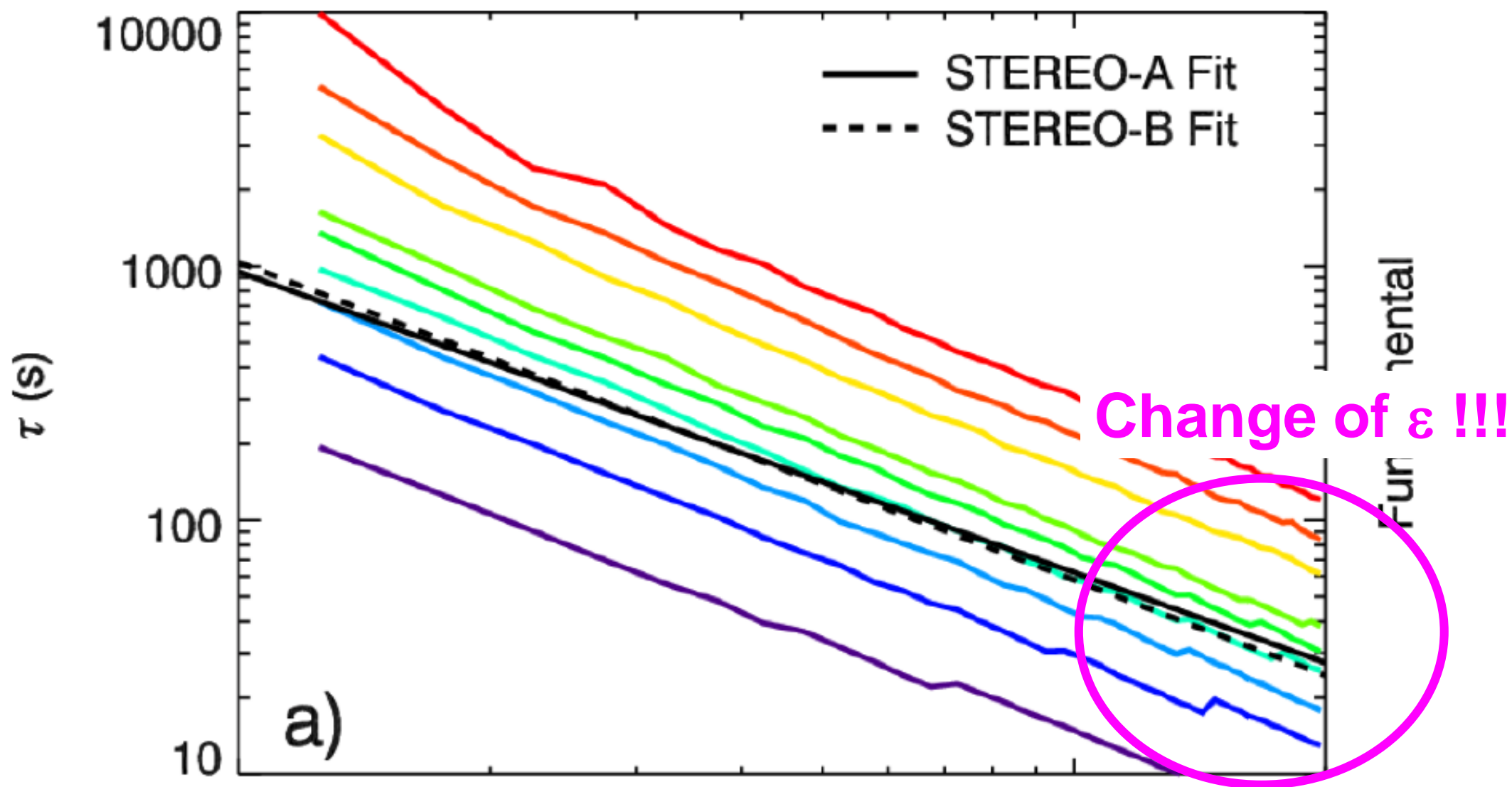
From the spectrum of $\delta n/n$ there is a given distribution of $\langle \Psi^2 \rangle$ from which one can do monte carlo simulations

V. Krupar simulations

To be submitted



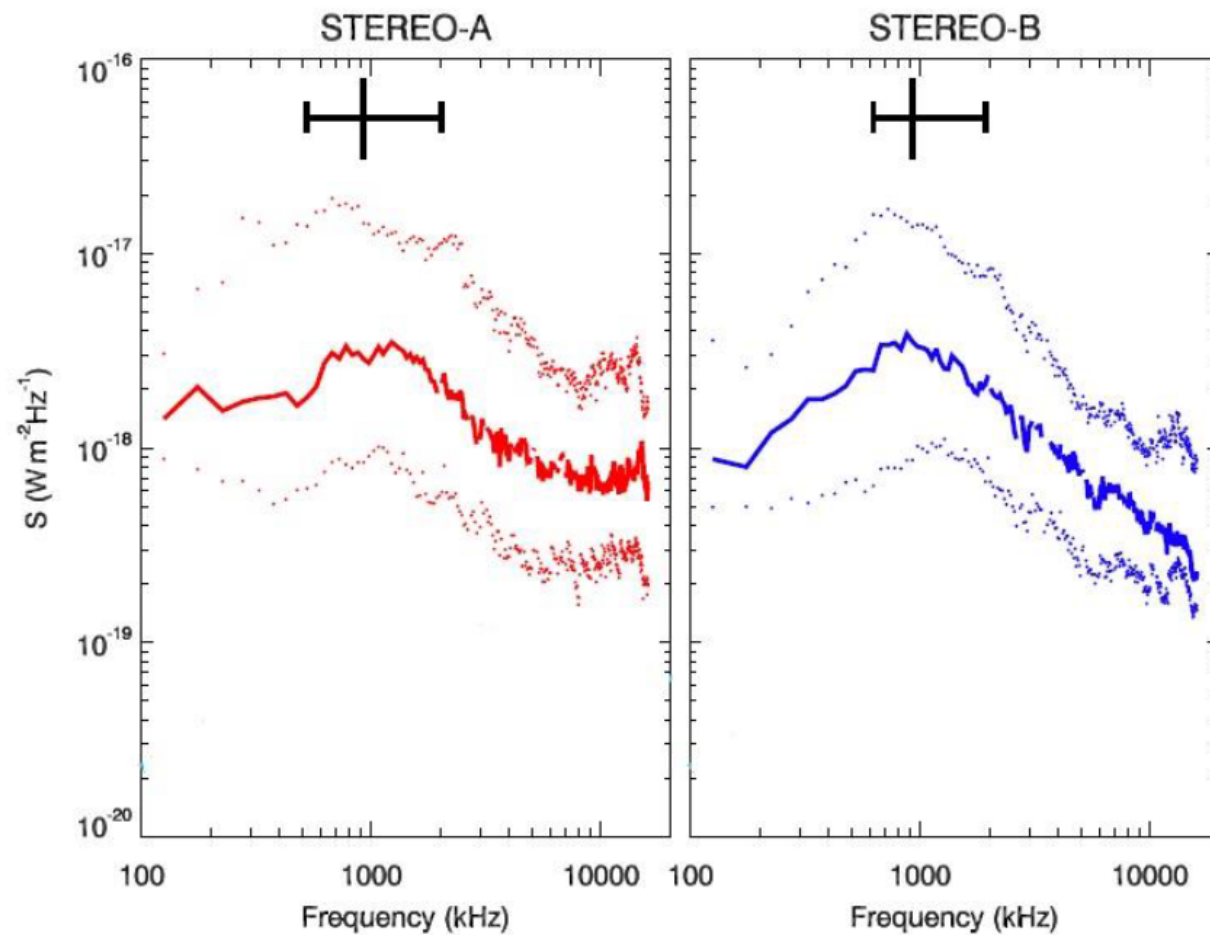
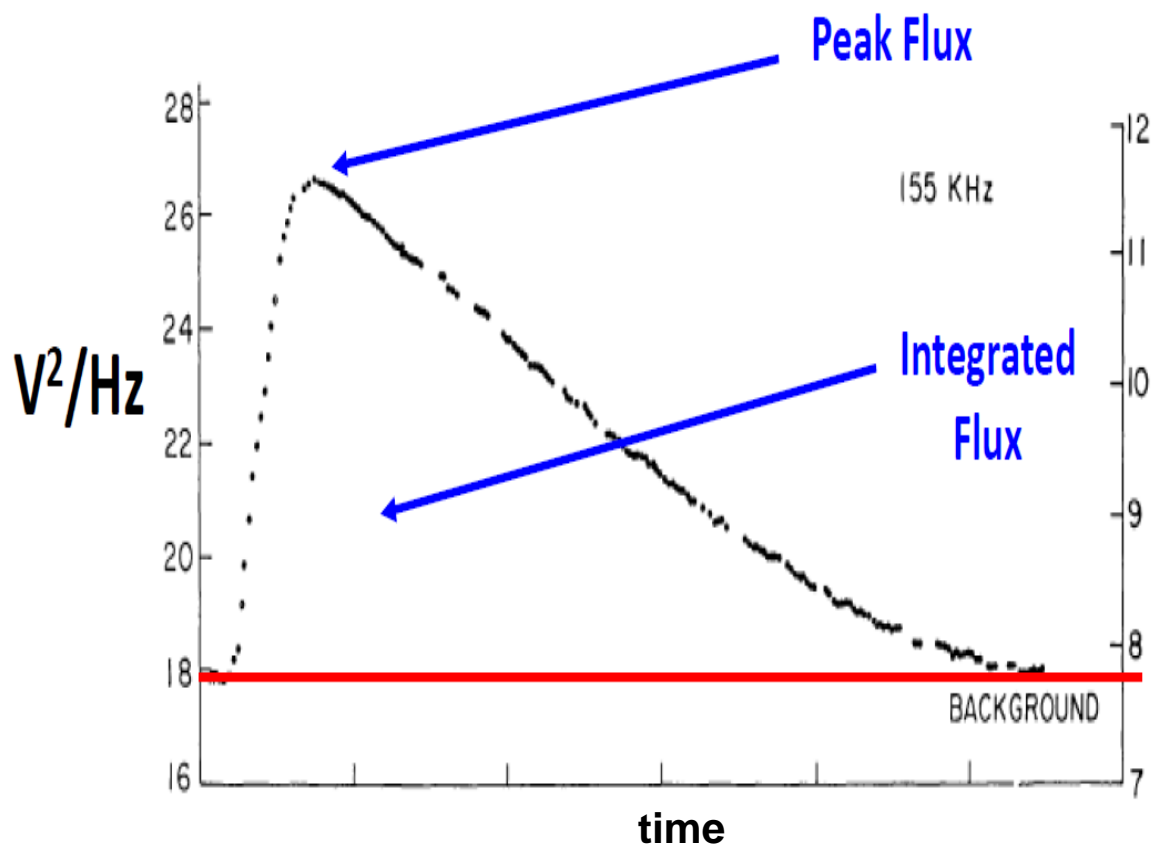
$\varepsilon = 0.05 \ 0.10 \ 0.15 \ 0.20 \ 0.25 \ 0.30 \ 0.50 \ 0.70 \ 1.00$



Krupar, 2012 PhD thesis, Krupar et al. 2013

154 Type III observed both by Stereo A & Stereo B

And the peak flux ?



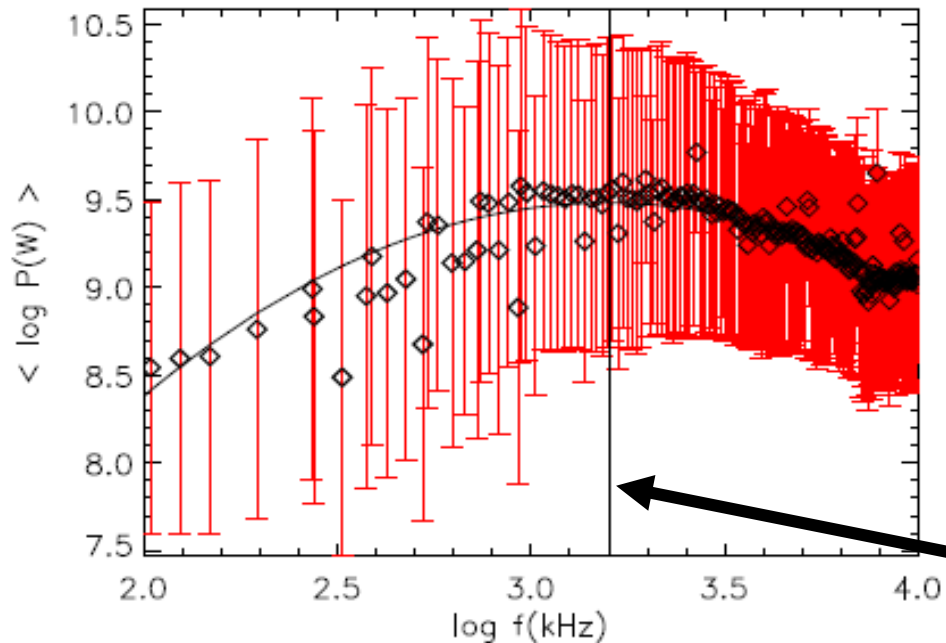
*Weber, 1978,
Bonnin, 2008*

Power Spectrum of an average type III burst

Using the emission diagram, we can deduce from the measured flux the total power radiated by the burst at a given frequency :

$$P(t, f) = \frac{S(t, f, \varphi) \Delta f d^2}{D(f, \varphi)} \Omega$$

What happens at higher frequencies?



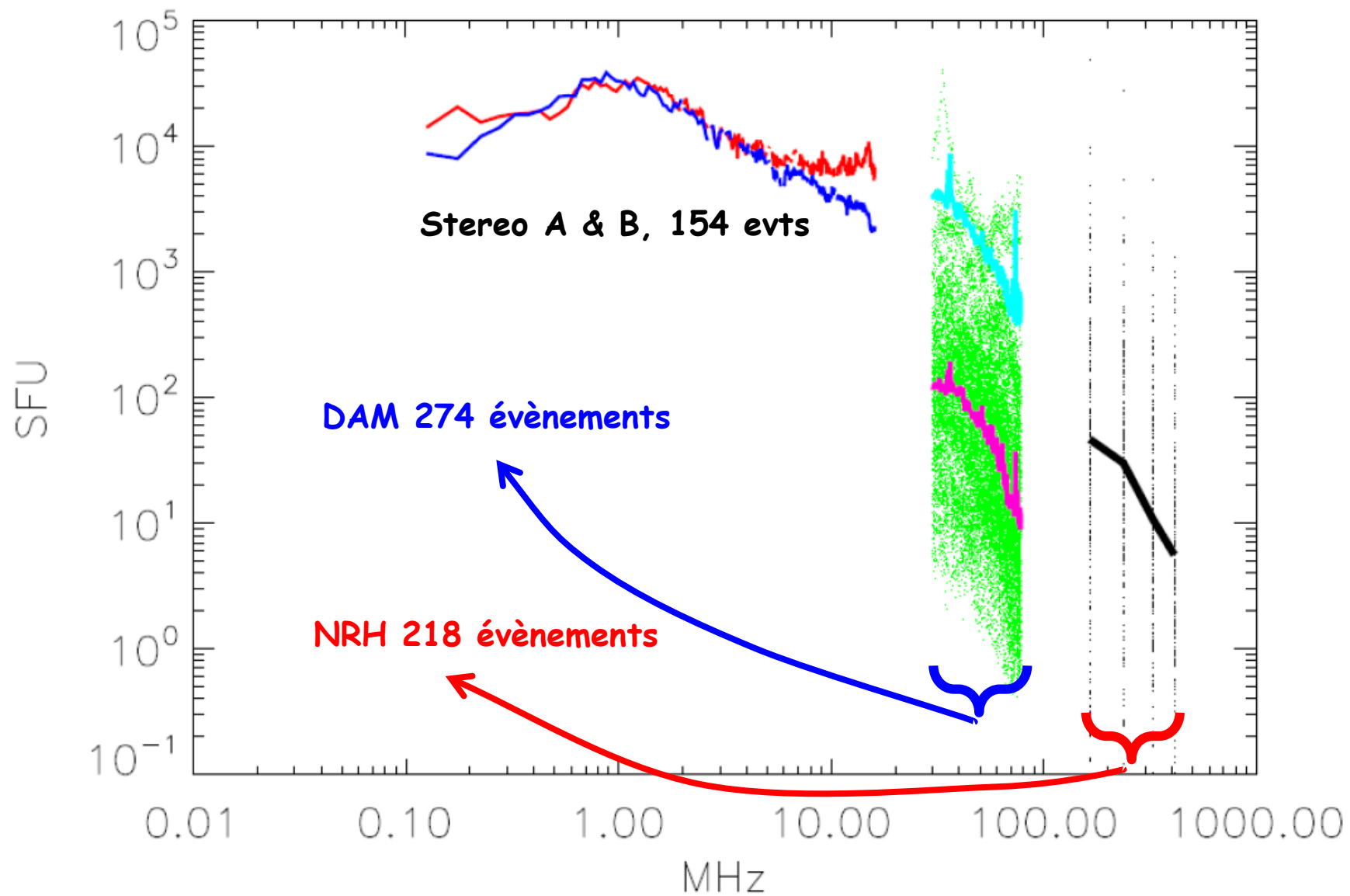
Least-square fitting the measured power spectrum with a parabolla, we obtain

$$\log P(f) \sim 9.5 + (\log f - 3.2)^2$$

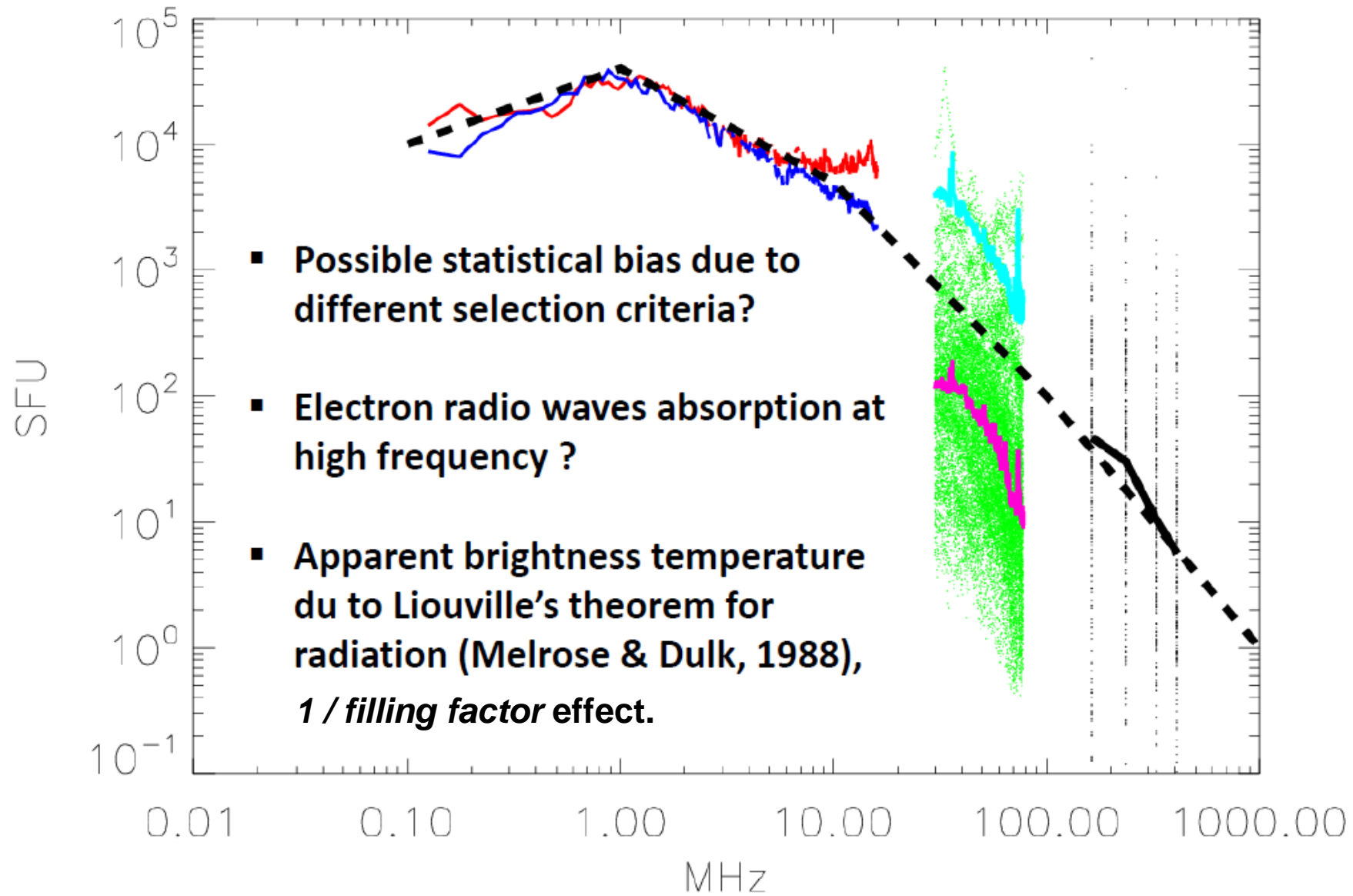


The spectrum presents a maximum of emissivity around 3 GW at 1.5 MHz

STEREO + DAM + NRH

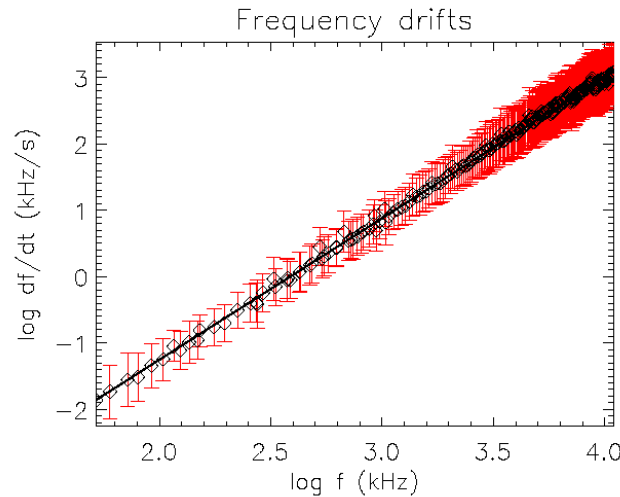
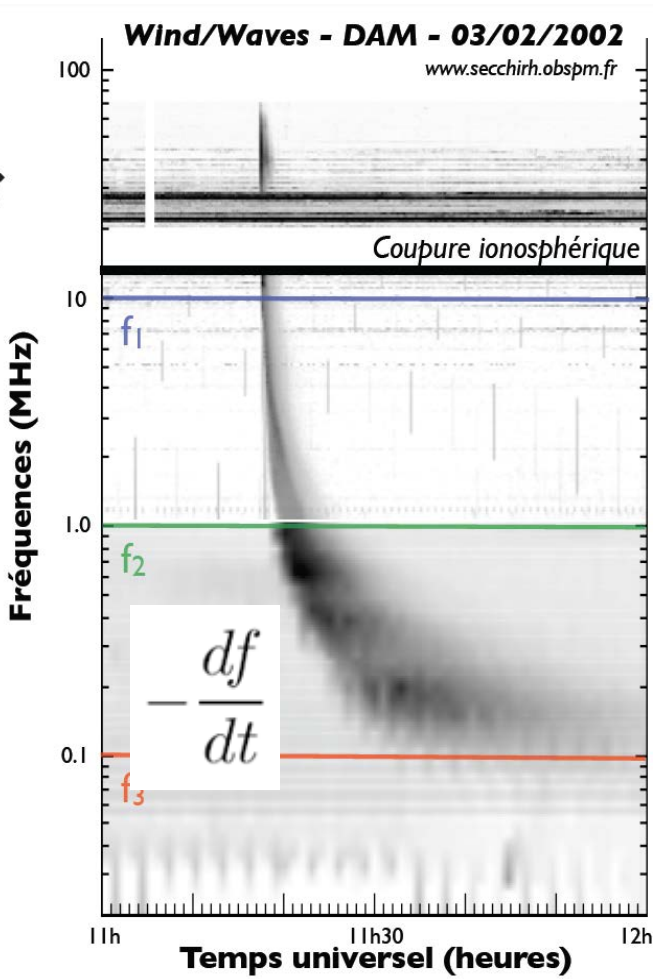


STEREO + DAM + NRH



Drift rates and beam velocities

We calculated for each event the frequency drift as a function of the frequency :



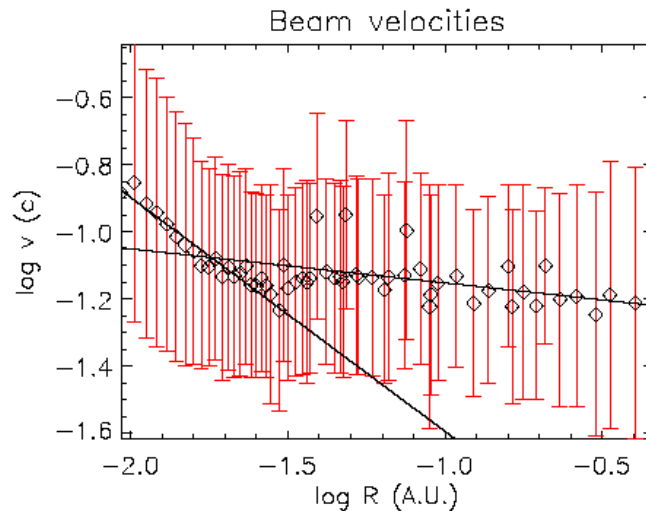
The observed frequency drifts scales with a single power law on all the observed frequencies :

$$-\frac{df}{dt} \propto f^{2.2}$$

Using a solar wind density model, we can recover the velocity profile of the exciters (electron beams) :

$$V = \frac{1}{\cos \psi} \frac{dr}{df} \frac{df}{dt}$$

$$V_{HF} \propto R^{-0.7} \quad V_{BF} \propto R^{-0.1}$$



Change in the power law dependance of the velocity profile at $f = 1.5$ MHz ?

Conclusions

- ❑ Most of the Evan decay time is very likely due to density fluctuations scattering !!!
- ❑ Something is happening $\sim 1\text{MHz}$ ($\sim 10 R_s$) ! What exactly ?
 - *Maximum of density fluctuation ?*
 - *Link with the Parker sonic point ?*
- ❑ Need to extend the decay time fitting at lower frequencies using Cassini RPWS data (Ricardo)
- ❑ Need to have a look at Nançay data at higher frequencies
 - To see how the decay times behave
 - To resolve the apparent calibration issues with the DAM

Assume that all radio emission is at $f \cong 2f_{pe}$ (harmonic emission) and that the emission is at saturation (Melrose, 1980). Then the spectral energy density of harmonic EM emission is proportional to the energy of Langmuir waves:

$$W^{\text{EM}}(x, v, t) \simeq W(x, v, t).$$

avec $W(x, v, t) = \frac{M n_b}{v_0 \omega_{pe}} v^4 \left(1 - \frac{v}{v_0}\right)$ **Relaxation rapide faisceau/plasma, Kontar 2001**

The spectral flux density at the Earth can be estimated (the same if s/c at 1 AU):

$$S = W^{\text{EM}} \cdot \frac{dk}{d\omega} \times \mathbf{A} \cdot v_g \cdot \frac{1}{4\pi R_\phi^2},$$

where $\frac{dk}{d\omega} \cong \frac{1}{v_g}$, v_g is the group velocity of the EM wave, \mathbf{A} is the area of the source, and R_ϕ is the 1 AU distance. Hence one finds:

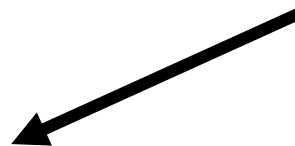
$$S = \frac{M n_b}{v_0 \omega_{pe}} v^4 \left(1 - \frac{v}{v_0}\right) \frac{\mathbf{A}}{4\pi R_\phi^2},$$

For the v at which S is maximum one obtains

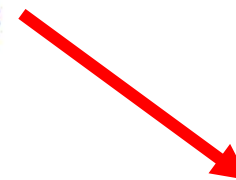
$$S = \frac{n_b A}{f_{pe}} v_0(r)^3,$$

where f_{pe} is the plasma frequency. Let us assume constant speed $v_0 \sim \text{const}$ and $n_b S \sim \frac{1}{r^2}$ then:

$$S \sim \frac{1}{r^2} \frac{1}{f_{pe}}.$$



Densité du faisceau



Gradient de la densité ambiante

STEREO + DAM + NRH

